Cosette: An Automated Solver for SQL



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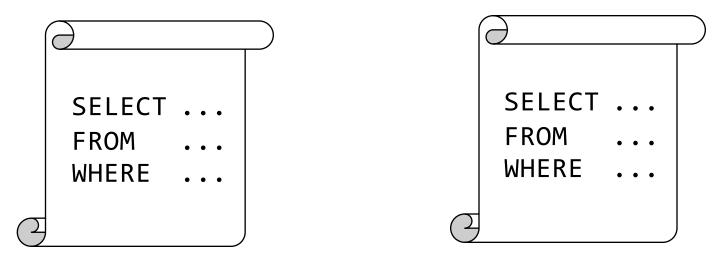
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Q2

 $\forall D . Q1(D) = Q2(D)$ $\exists D . Q1(D) \neq Q2(D)$





Query Optimizers

Autograders

Application Caches



Boris Trakhtenbrot

Full decision procedure exists for conjunctive queries

Deciding the equality of two arbitrary

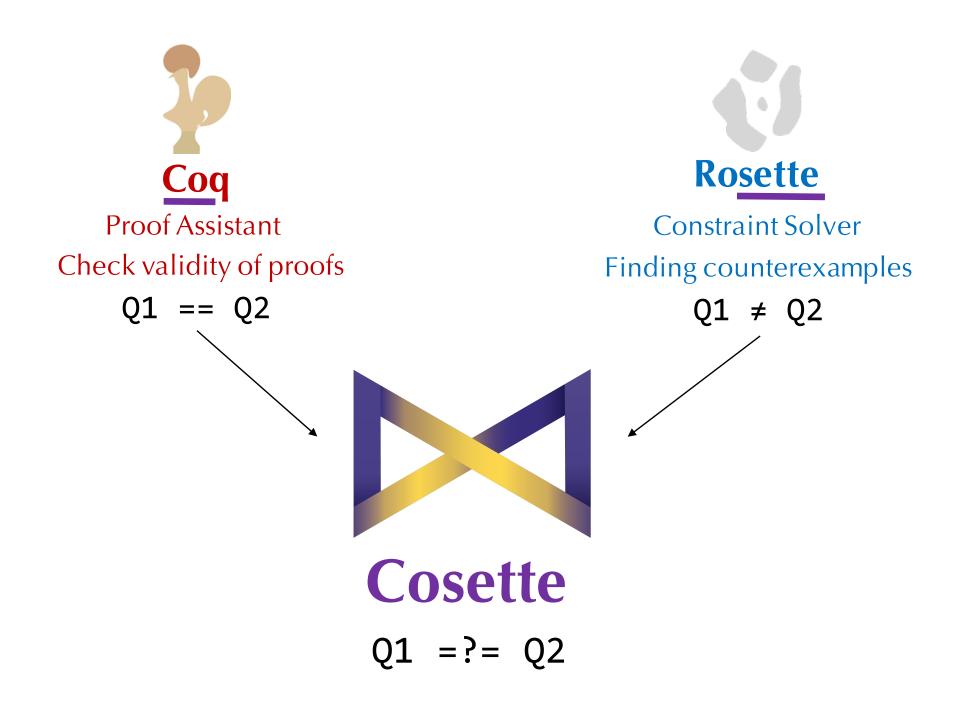
relational queries is undecidable.

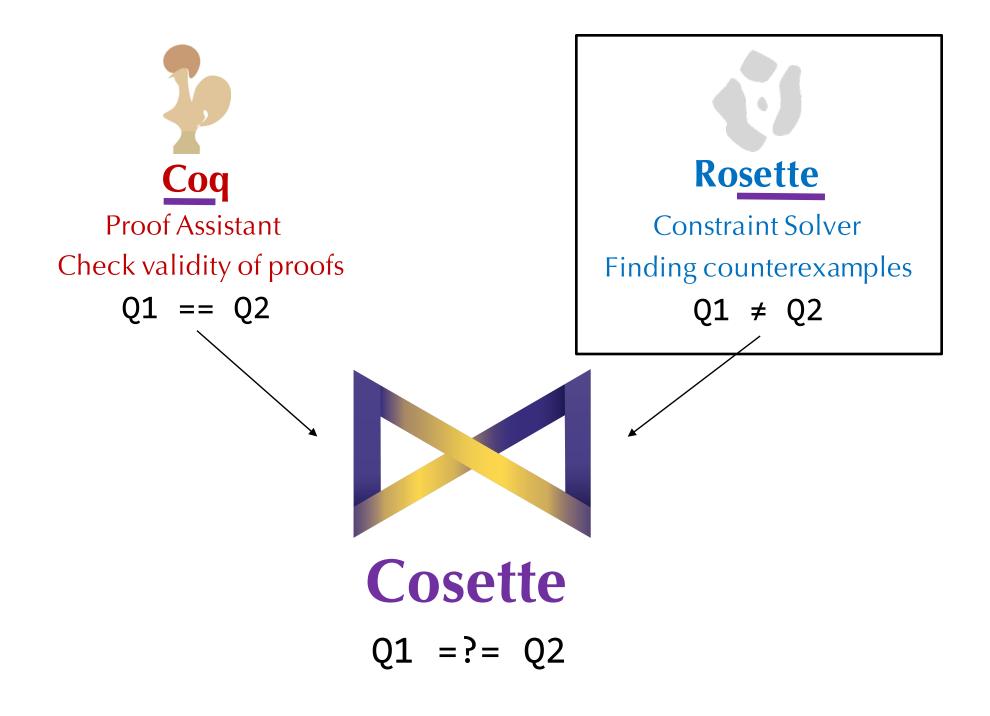
Simple heuristics can already prove many common cases

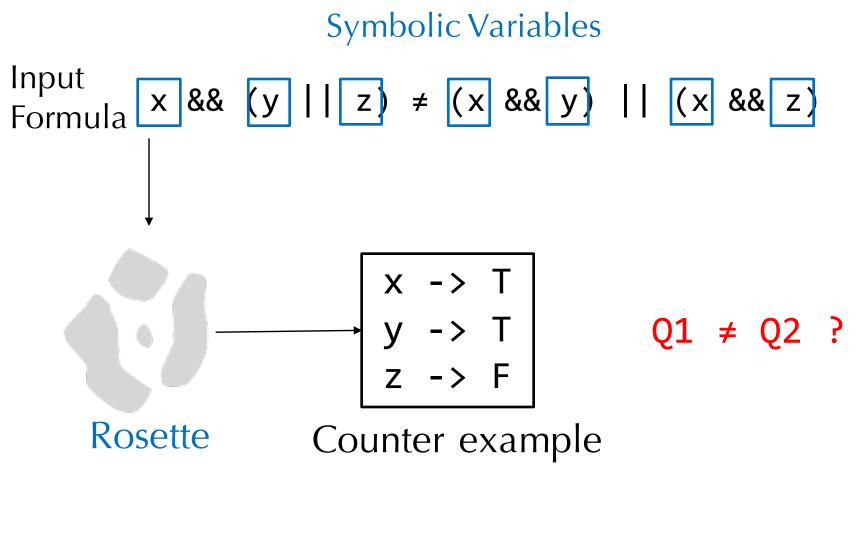
Operating Systems











Queries and relations?

Encoding Relations and Queries

Tuplelist of symbolic variables

Relation list of tuples

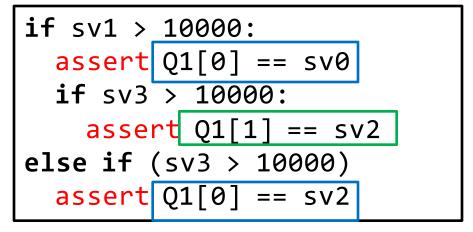
Query operations over relations

id	salary	
sv0	sv1	
sv2	sv3	

Q1 = SELECT ... Q2 = SELECT ...

Q1 ≠ Q2 ?

Q1 = SELECT id FROM Emp WHERE salary > 10000



symbolic constraints

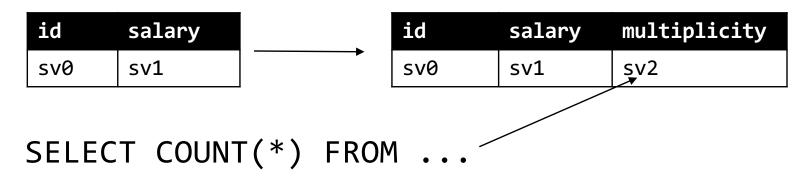
size(Q1) == size(Q2)
Q1[0] == Q2[0] &
$$\longrightarrow$$
 \longrightarrow \longrightarrow $xv0 \rightarrow 42$
 $sv1 \rightarrow 2$
 $sv2 \rightarrow 0$
 $sv3 \rightarrow 31$
Counter example

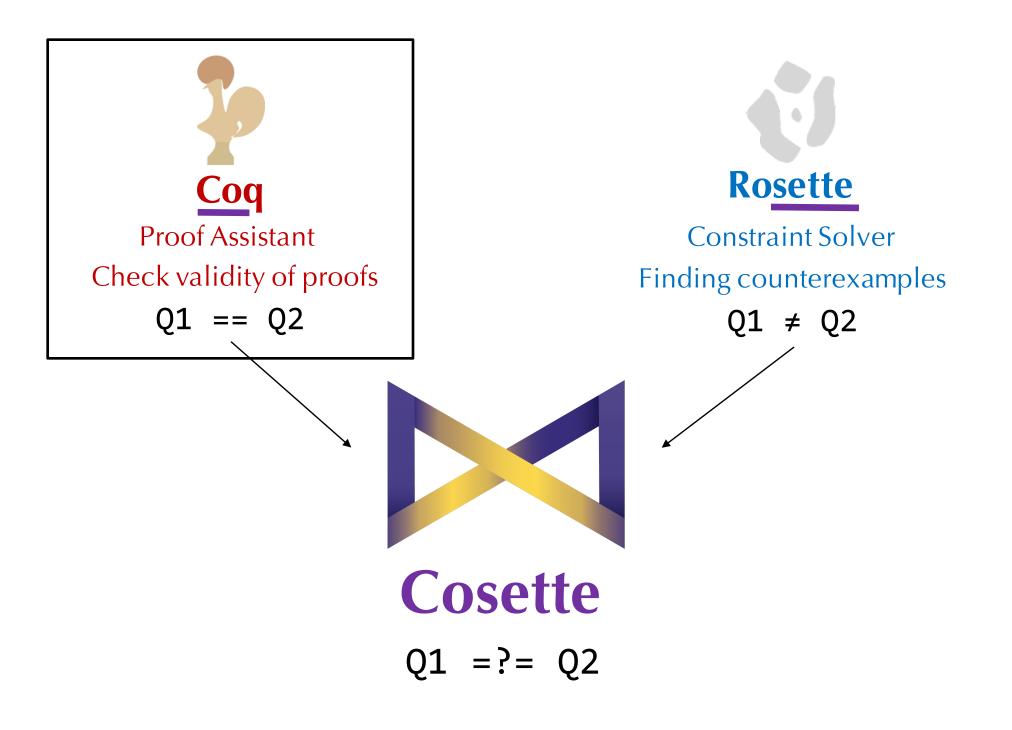
Optimizations Incremental solving Q1 ≠ Q2 ?

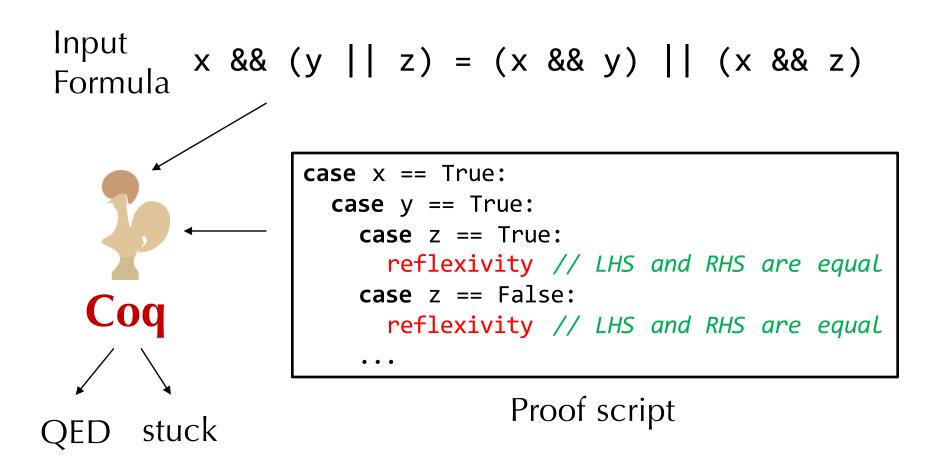
id	salary	id	salary	id	salary
sv0	sv1	sv0	sv1	sv0	sv1
		sv2	sv3	sv2	sv3
			·	sv4	sv5

. . .

Encode bags with multiplicities







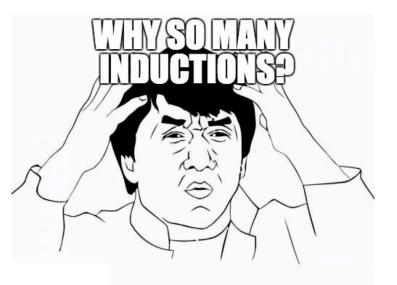
Q1 = Q2 ? Queries and relations?

Proving Query Equivalences

Q1 = SELECT * FROM (R UNION ALL S) WHERE b Q2 = (SELECT * FROM R WHERE b) UNION ALL (SELECT * FROM S WHERE b)

$$Q1 = Q2$$

Induction on R: Assume Q1 == Q2 when R has N tuples Then when R is of size N+1: ... Induction on S: Assume Q1 == Q2 when S has N tuples Then when S is of size N+1: ...



Reason about the contents of R and S

Relation tuple $\rightarrow \mathbb{N}$ 0 just means the tuple isn't in the relation Green et al **Predicate** tuple $\rightarrow 1/0$ Provenance semirings **PODS 2007** Q1 = SELECT *Q2 = (SELECT * FROM R WHERE b)FROM (R UNION ALL S) UNION ALL (SELECT * FROM S WHERE b) WHERE b $Q1(t): (R(t) + S(t)) \times b(t) \quad Q2(t): R(t) \times b(t) + S(t) \times b(t)$ Q1 = Q2 ? Distrib. Reflex. . . . Algebraic reasoning Coq

Optimizations

Using Homotopy Types to represent N

Generate proof scripts automatically

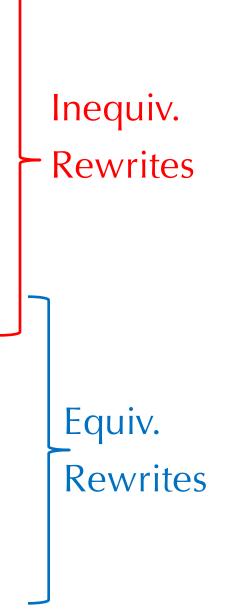
Heuristics to speed up the proof script search

Bug 3 real-world optimizer rewrite bugs

XData query and mutant pairs from a test generator

Exams questions from undergraduate DB class

Rules 23 query rewrite rules from DB papers and real-world optimizers



Inequivalent Rewrites

Dataset	Total #	Average time taken
Bugs	3	8.3s
XData	9	< 1s
Exams	5	1.3s

Most rewrites can be automatically decided

Most solved within very short time

Equivalent Rewrites

Dataset	Total #	Automatically Decided		# Interactively Decided
		#	Avg time taken	
Exams	4	3	< 1s	1
Rules	23	17	< 1s	6

```
SELECT pnum
FROM Parts
WHERE qoh =
  (SELECT COUNT(shipdate)
   FROM Supply
   WHERE Supply.pnum = Parts.pnum
        AND shipdate < 10)</pre>
```



WITH Temp AS

FROM Supply

GROUP BY pnum

WHERE shipdate < 10

```
SELECT pnum
FROM Parts, Temp
WHERE Parts.qoh = Temp.ct
AND Parts.pnum = Temp.pnum;
```

SELECT pnum, COUNT(shipdate) AS ct



10 secs



Won Kim On optimizing an SQL-like nested query **TODS 1982**

will be	ALC: NO.
1.00	SHOULD BE
105	
and an array of	

Richard A. Ganski, Harry K. T. Wong Optimization of Nested SQL Queries Revisited **SIGMOD 1987**

5. Bugs in Kim's Algorithm NEST-JA and their Solutions

5.1. The COUNT bug





P. Seshadri, J. Hellerstein, H. Pirahesh, T.Y. Leung, R. Ramakrishnan, D. Srivastava, P. Stuckey, S. Sudarshan



Cost-Based Optimization for Magic: Algebra and Implementation. **SIGMOD 1996**

Introduction of θ -semijoin:

$$\begin{array}{c|c} R_1 \Join \begin{array}{c} \end{black} \endblack \end{black} \end{black} \end{black} \end{black}$$





